

Exciton interference in hexagonal boron nitride

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Preprint available:

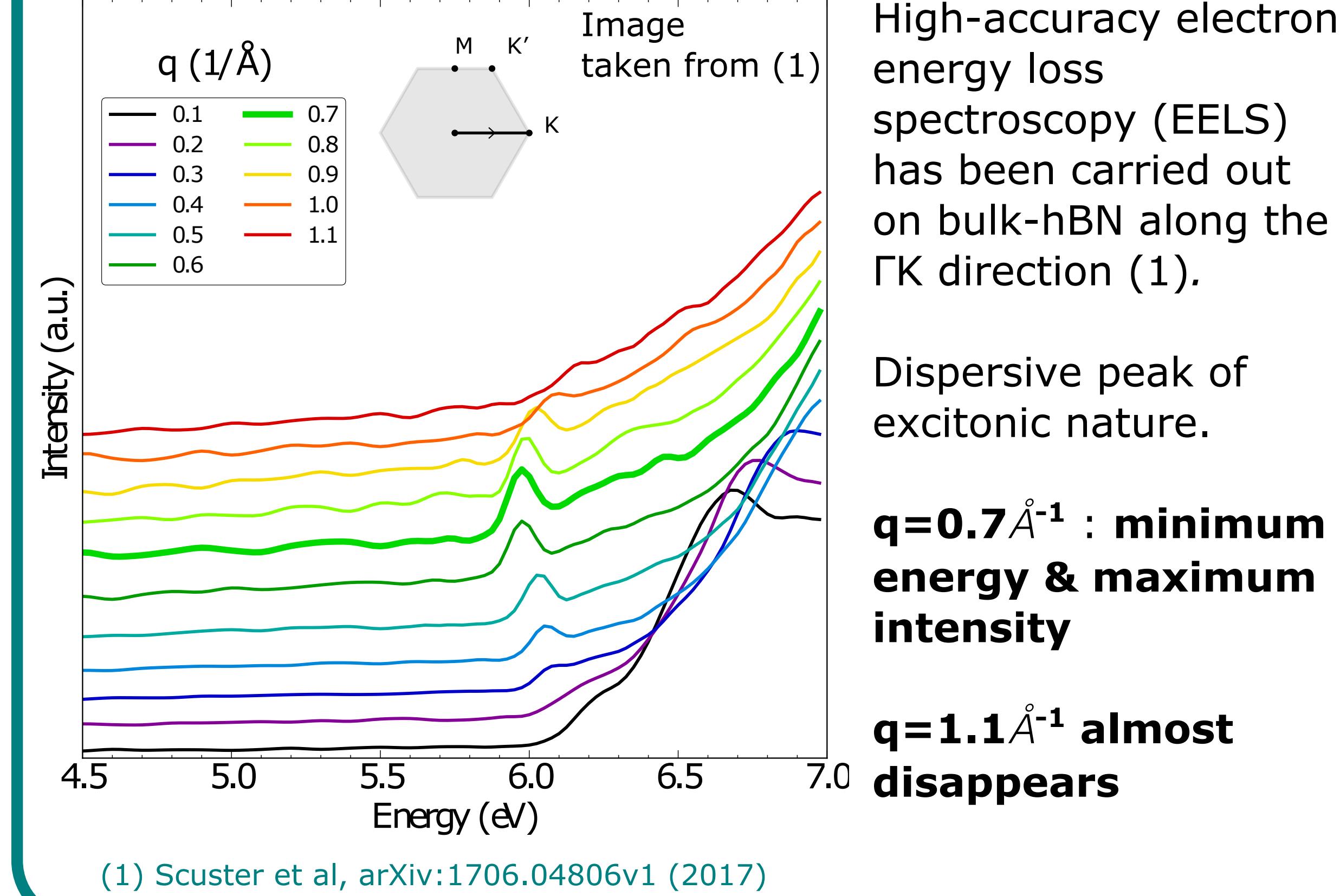
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High-accuracy electron energy loss (1)



High-accuracy electron energy loss spectroscopy (EELS) has been carried out on bulk-hBN along the Γ K direction (1).

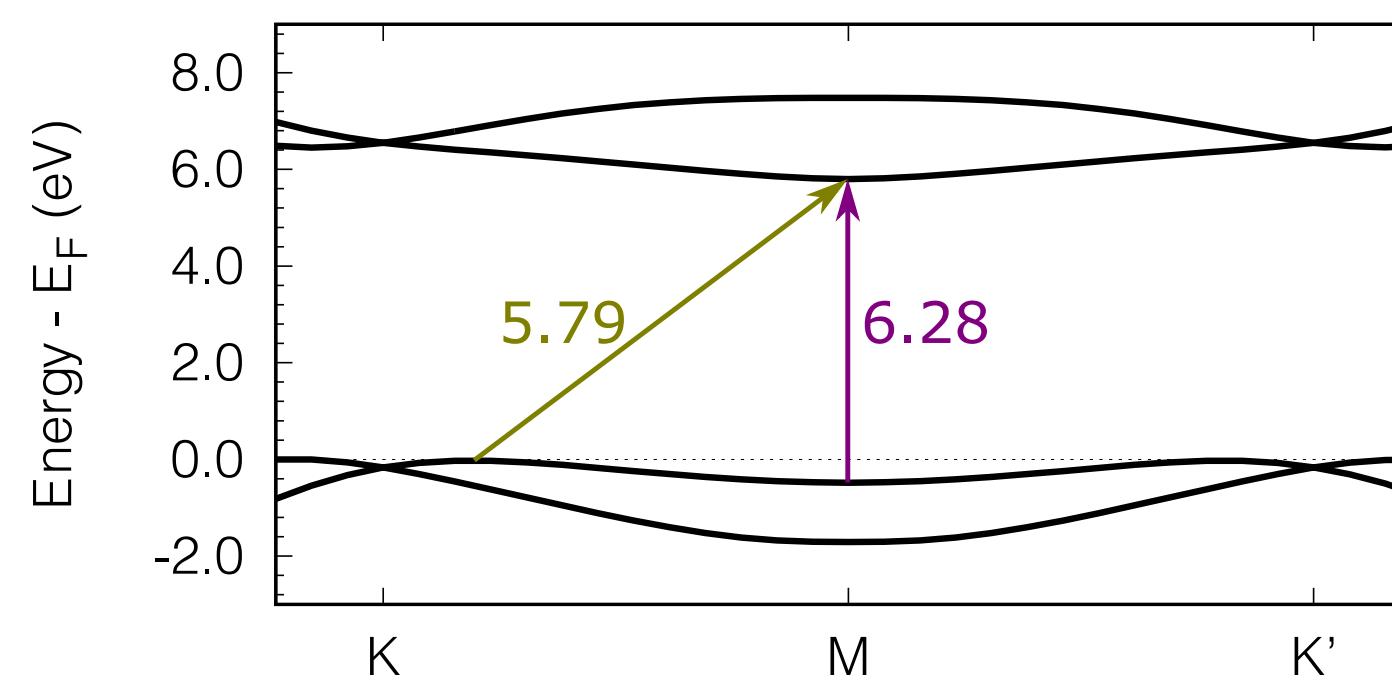
Dispersive peak of excitonic nature.

$q=0.7\text{\AA}^{-1}$: minimum energy & maximum intensity

$q=1.1\text{\AA}^{-1}$ almost disappears

Single-particle band structure: G_0W_0 at LDA

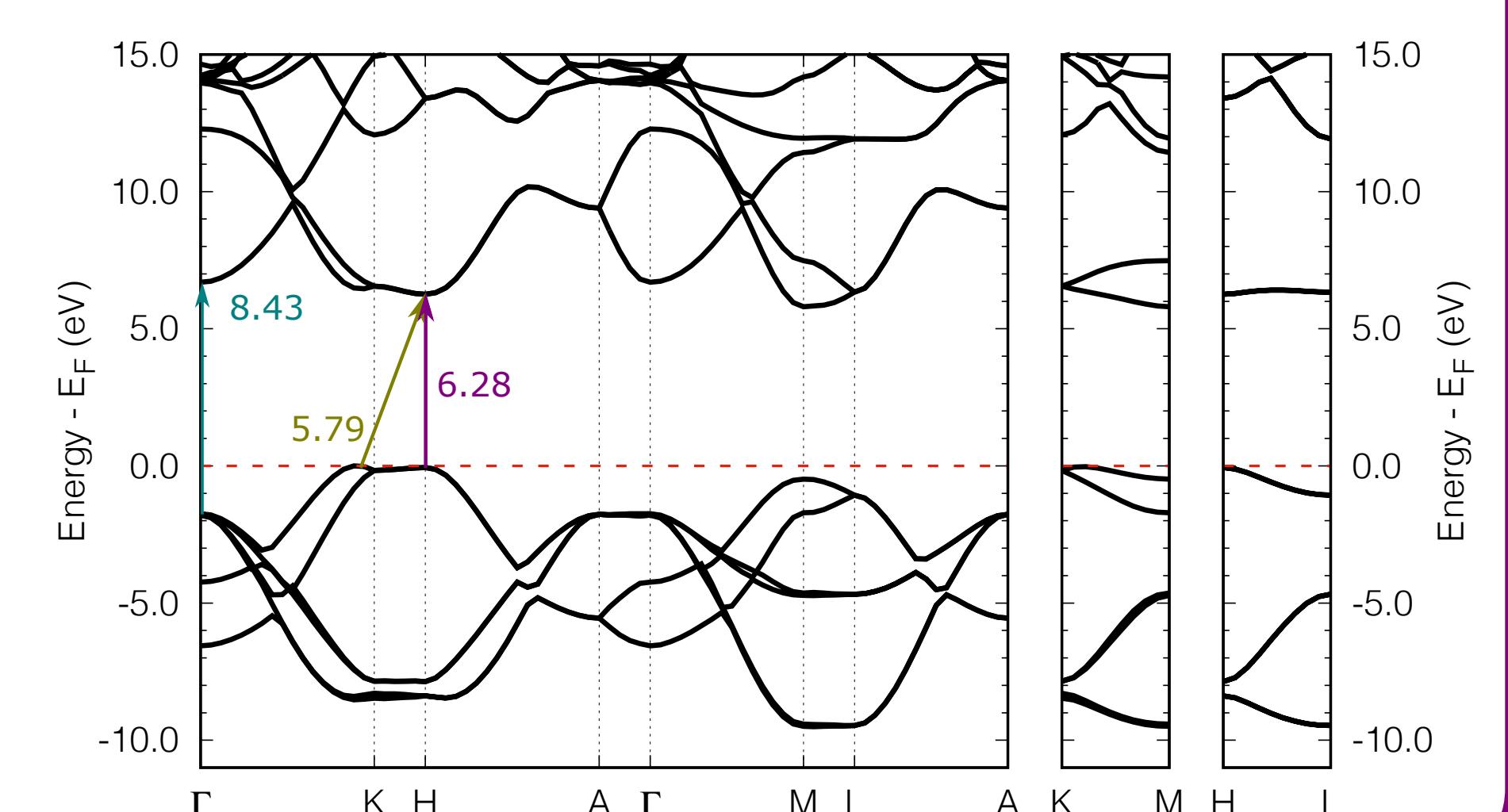
Band structure of bulk hBN (AA' stacking) has **indirect gap** between a **point close to K and M** . Established theoretical result.



Computational details:

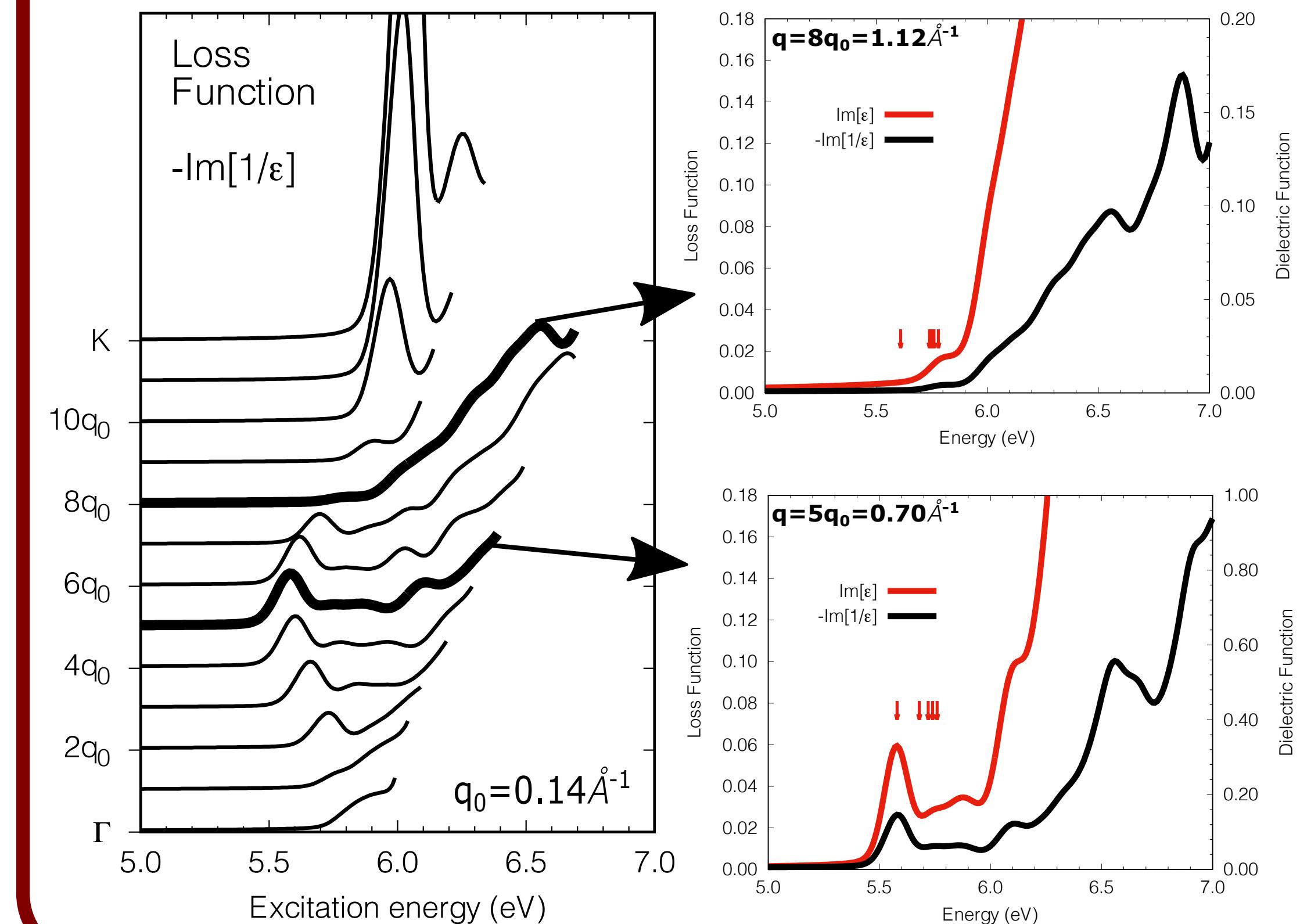
- contour deformation
- nbands=600
- cutoff wfn.=816 eV
- cutoff mat.dim.=816 eV
- Γ -centered 6x6x4

gap	LDA	G_0W_0
direct at Γ	6.42	8.43
indirect ($\approx K \rightarrow M$)	4.73	5.79
smallest optical (M)	4.46	6.28



GW-BSE Excitonic spectra and dispersion

GW-BSE spectra along Γ K



An additional **shift of 0.4 eV** to align to experiments for the **lack of self-consistency in GW**.

The GW-BSE dispersion of the loss function **perfectly reproduces** the experimental dispersion of the peak.

The intensity of the loss function is **maximum at $q=5q_0$** and **minimum at $q=8q_0$** .

Intensity and dispersion of loss function follow the peaks of the **dielectric function**.

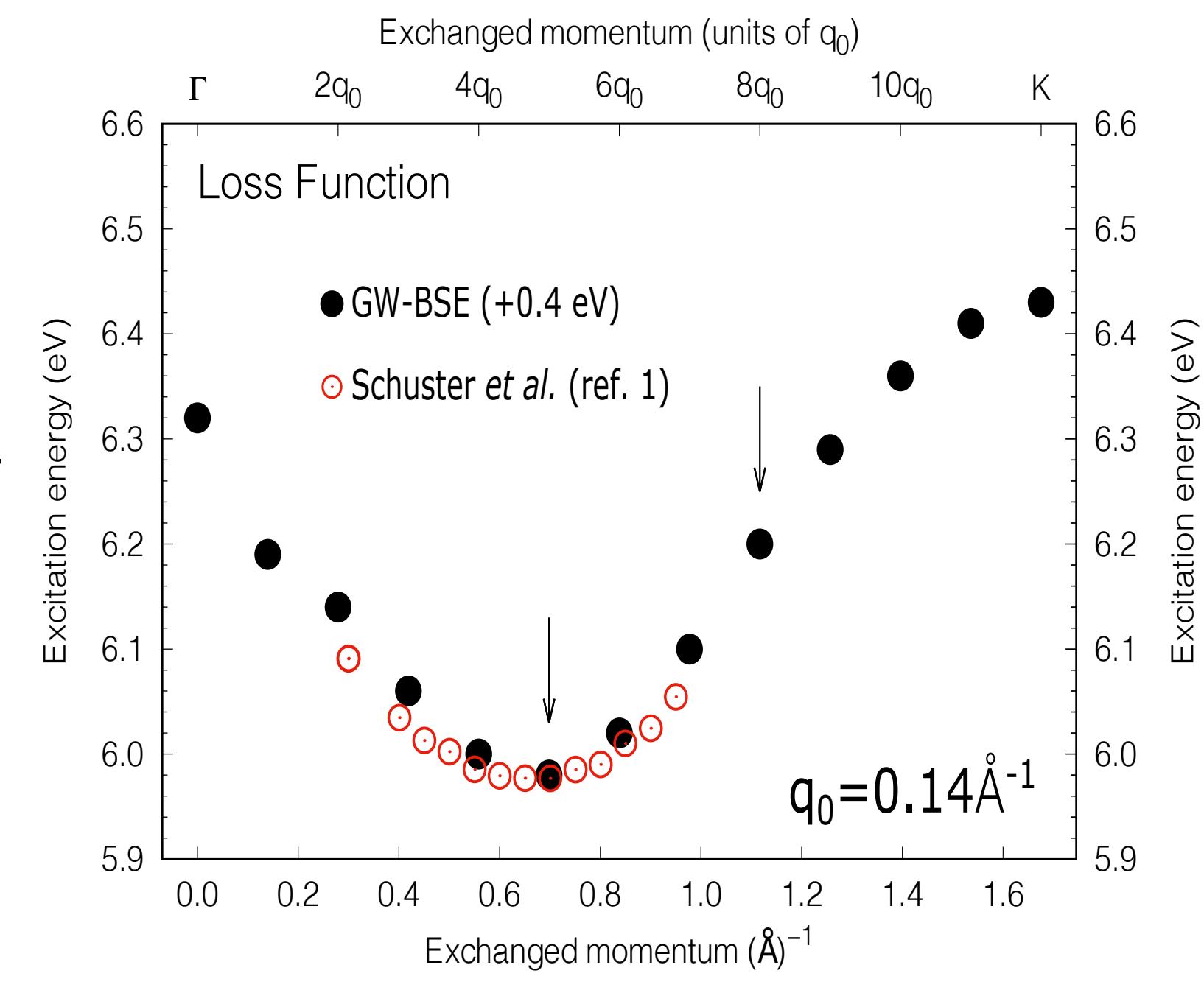
What is the origin of these intensity variations?

Answer by decomposing the spectral intensity in **contributions from the IP-transitions**.

$$\epsilon(\mathbf{q}, \omega) \propto \sum_{\lambda} \frac{I_{\lambda}(\mathbf{q})}{E_{\lambda}(\mathbf{q}) - \omega + i\eta} \quad I_{\lambda}(\mathbf{q}) = \left| \sum_t \tilde{\rho}_t(\mathbf{q}) A_t^{\lambda}(\mathbf{q}) \right|^2 = \left| \sum_t M_t^{\lambda}(\mathbf{q}) \right|^2$$

peak intensity IP-transition matrix element
independent-particle transition index $t = (V, \mathbf{k}) \rightarrow (C, \mathbf{k} + \mathbf{q})$

Loss function dispersion



Computational details:
screening: Bethe-Salpeter
nbands = 350 nbands = 6+3
mat.dim. = 120 eV mat.dim. = 80 eV
cutoff wfn.=200 eV cutoff wfn.=110 eV
 Γ -centered 36x36x4

Analysis of the peak intensity: Decomposition of IP-transitions

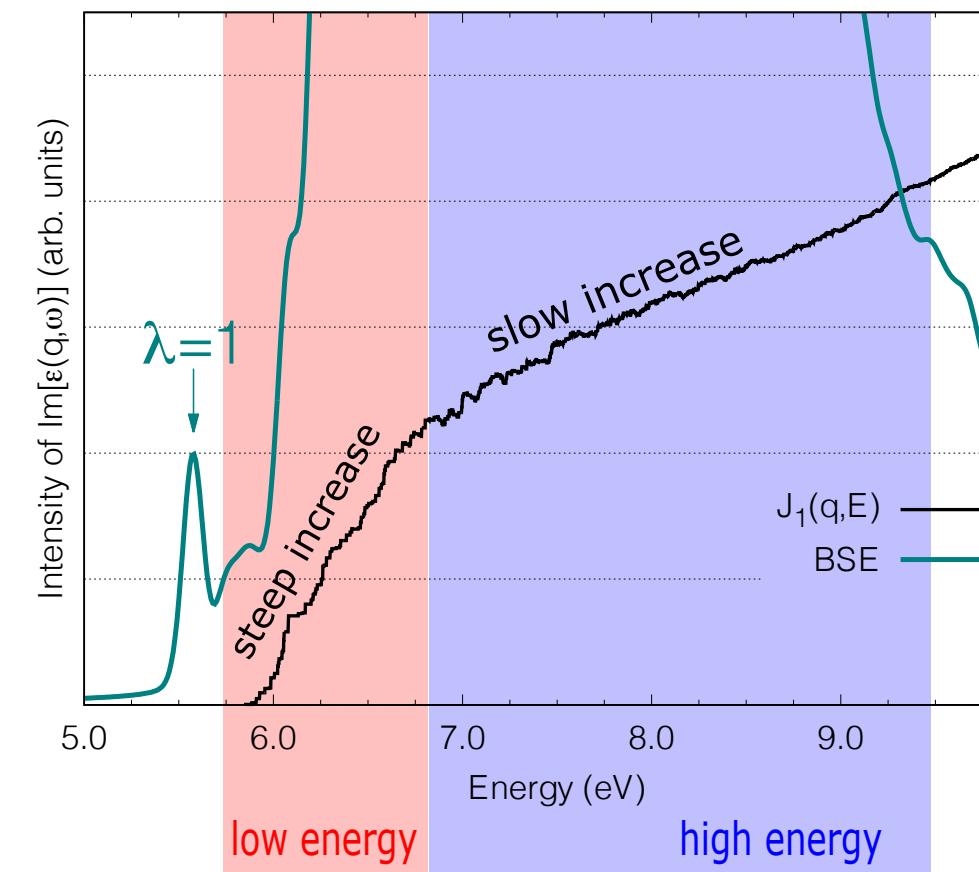
Analysis of $q=5q_0 = 0.7\text{\AA}^{-1}$

Analysis of $q=8q_0 = 1.12\text{\AA}^{-1}$

Normalized cumulant weight

$$\mathcal{J}_{\lambda}(\mathbf{q}, E) = \frac{1}{I_{\lambda}(\mathbf{q})} \left| \sum_{t: E_t \leq E} M_t^{\lambda}(\mathbf{q}) \right|^2$$

Information about the building-up of the excitonic peak.



Positive phase; group KM

$$\text{Re}[M_t^{\lambda}(\mathbf{q})] > 0 \quad \& \quad \text{Im}[M_t^{\lambda}(\mathbf{q})] > 0$$

$$\text{Band-contracted map of } \left| \sum_{V,C} M_t^{\lambda}(\mathbf{q}) \right|^2$$

Negative phase; group MK'

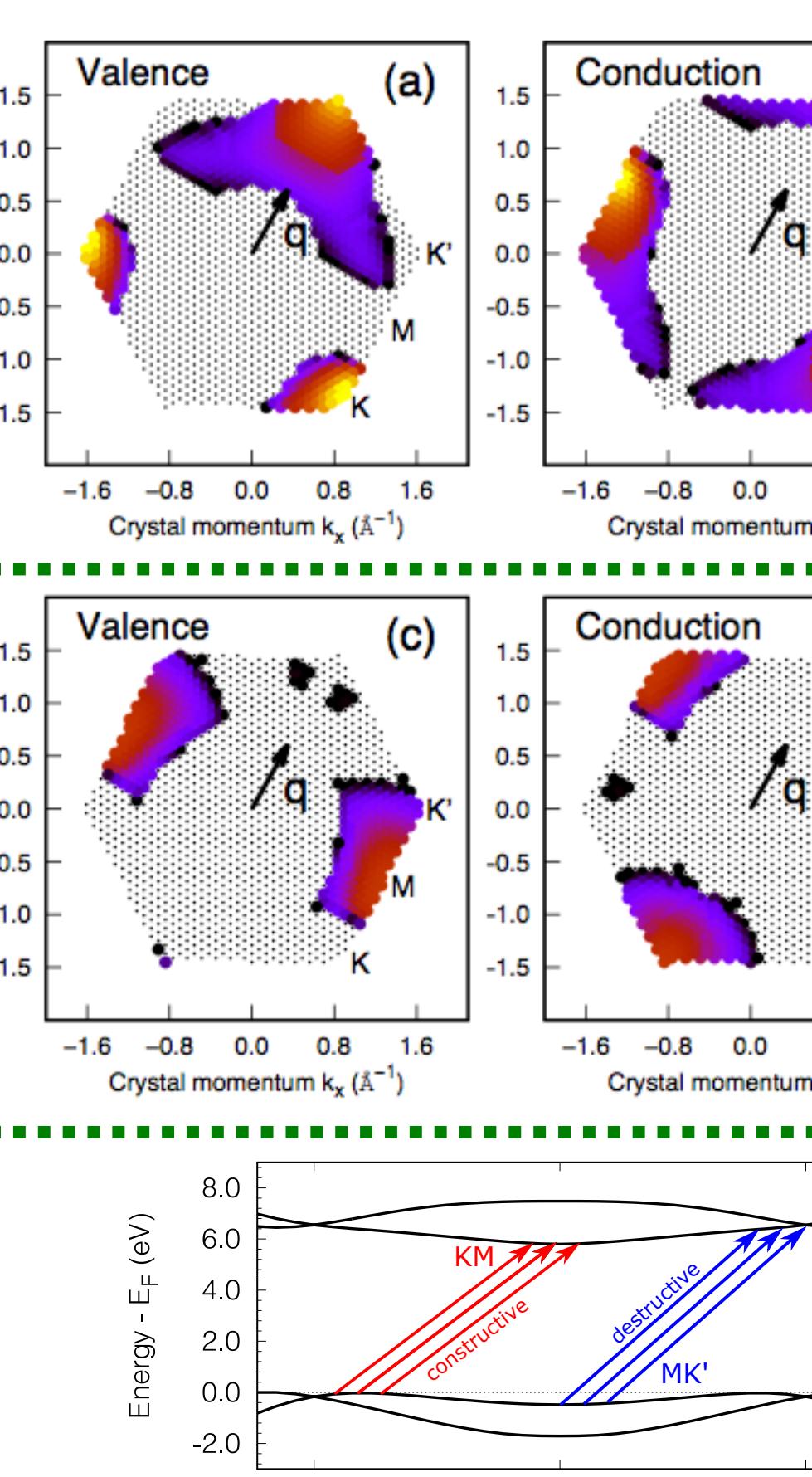
$$\text{Re}[M_t^{\lambda}(\mathbf{q})] < 0 \quad \& \quad \text{Im}[M_t^{\lambda}(\mathbf{q})] < 0$$

$$\text{Band-contracted map of } \left| \sum_{V,C} M_t^{\lambda}(\mathbf{q}) \right|^2$$

Sketch of IP-transitions

At $5q_0$ KM dominates: higher number and intensity.

At $8q_0$ the two groups are competing.



Conclusions

- The GW-BSE dispersion of the peak of the loss function **perfectly reproduces experimental data** (1).

- Transitions can be **classified in groups** depending on the **phase** of $M_{\lambda}^t(\mathbf{q})$.

- **Competition between two groups of transitions** (KM and MK' groups). KM dominates at $q=0.7\text{\AA}^{-1}$; the two groups **interfere destructively** at $q=1.1\text{\AA}^{-1}$.

- Intriguing **valleys physics**.

- **General** framework and analysis tools, **applicable to any study** of excitonic properties.

- Possible way to redefine an **optimized basis** for excitons.